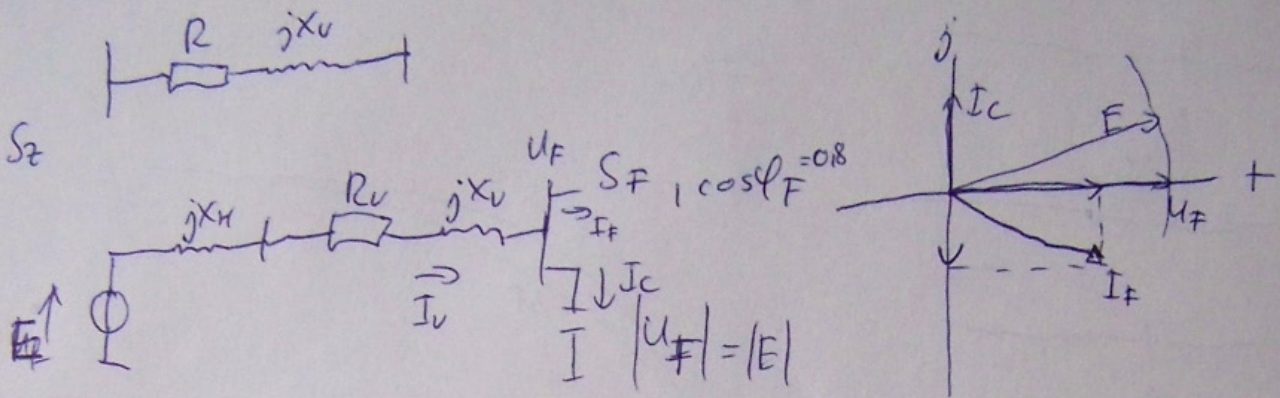


Hálózatok ábrái



$$E^2 = (U_F + \Delta U_H)^2 + \Delta U_2^2$$

$$\Delta U_H = I_{wv} \cdot R_v + I_{mv} \cdot (X_v + X_H)$$

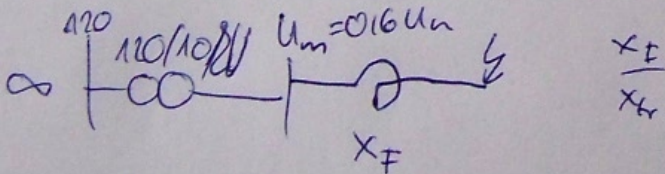
$$\Downarrow$$

$$I_{Fw}$$

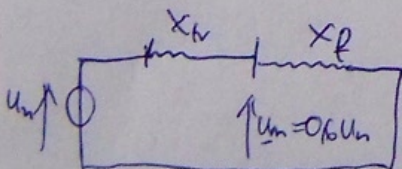
$$\Downarrow$$

$$I_{mv} = I_{Fm} - I_c \rightarrow \text{mivel } I_c \text{ miatt negatív len.}$$

$$\Delta U_2 = I_{wv} \cdot (X_v + X_H) - I_{mv} \cdot R_v$$

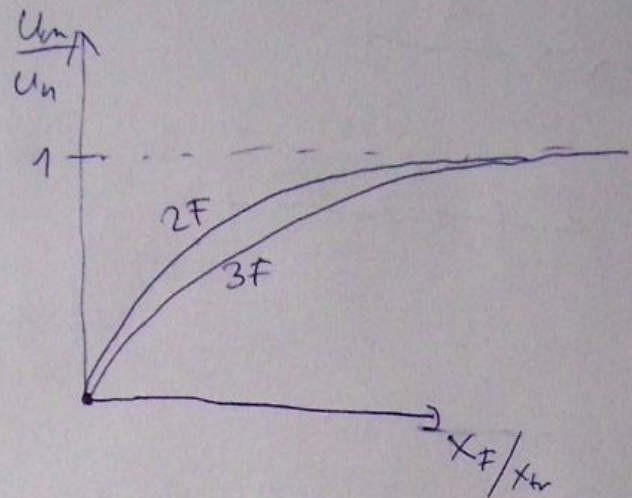
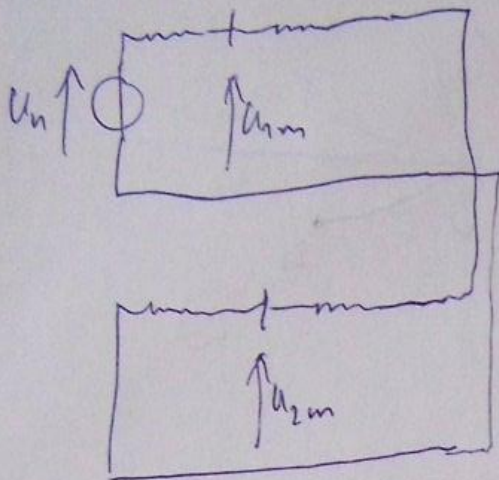


$$\frac{X_F}{X_T}$$



$$\frac{X_F}{X_T} = \frac{B}{B}$$

2f b,c



$$|U_b| = |U_c|$$

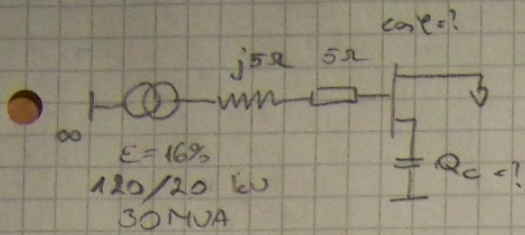
$$I_2 = -I_1$$

$$U_{1m} = U_n - I_1 X_{cr}$$

$$U_{2m} = -I_2 X_{cr}$$

$$U_{bm} = a^2 U_{1m} + a U_{2m}$$

2009 Pst 2H



$P = 40 \text{ MW}$
 $\cos \varphi = 0.8 \text{ (ind)}$

Mekkora midőkompenzació lehet a helyleges fene (induktív) terhelés?

Mekkora a $\cos \varphi$ a helyesnél?

$$S_F = \frac{P}{\cos \varphi_F} = \frac{40}{0.8} = 50 \text{ MVA}$$

$$\vec{I}_F = \frac{S_F}{\sqrt{3} U_n} (\cos \varphi_F - j \sin \varphi_F) = \frac{50}{\sqrt{3} \cdot 20} (0.8 - j 0.6) = 1.44 (0.8 - j 0.6) = 1.2 - j 0.9 \text{ [kA]}$$

$$\Delta U_n = I_w \cdot R + j I_m X = 1.2 \cdot 5 + 0.9 \left(0.16 \cdot \frac{20^2}{30} - 5 \right) = 6 + 6.42 = 12.42 \text{ [kV]}$$

$$|I_c| = \frac{12.42}{7.13} = 1.74 \text{ [kA]} \quad \rightarrow I_c = -j 1.74 \text{ [kA]}$$

$$X_c = \frac{U_n}{I_c} = \frac{20}{\sqrt{3} \cdot 1.74} = 6.64 \text{ [}\Omega\text{]}$$

↳ túlkompenzálunk

$$Q_c = 3 \cdot |I_c|^2 \cdot X_c = 60.3 \text{ [MVA]}_r$$

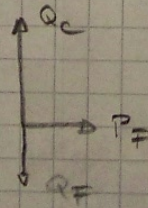
cos φ

$$S_F = 50 \text{ MVA}$$

$$P_F = 40 \text{ MW}$$

$$Q_F = S_F \cdot \sin \varphi_F = 30 \text{ MVA}_r$$

$$Q_c = 60.3 \text{ MVA}_r$$



$$Q_{\text{eredő}} = Q_c - Q_F = 30.3 \text{ MVA}_r$$

$$S_{\text{eredő}} = \sqrt{Q_{\text{eredő}}^2 + P^2} = 50.2 \text{ MVA}$$

$$\frac{P_F}{S_{\text{eredő}}} = \cos \varphi = 0.97 \text{ (Kapasitív)}$$