

dec 4 ca

ZH Megoldások

①

$$\bar{G} = \begin{pmatrix} 1 & 0 & 0 & 0 & 1 \\ 0 & 1 & 0 & 1 & 0 \\ 0 & 0 & 1 & 1 & 1 \end{pmatrix}$$

$$C(5, 3)$$

Nem Hamming kód, $n+1 = 2^{n-k}$ nem teljesül

d_{\min}

	\bar{u}	\bar{e}
kódstabilak	000	00000
	001	00111
	010	01010
	011	01101
	100	10001
	101	10100
	110	11011
	111	11100

$$d_{\min} = w_{\min} = 2$$

hibacsopors: $E_s = \{ \bar{e} : \bar{H} \cdot \bar{e}^T = \bar{s}^T \}$

$$\bar{e}, \bar{e}' \in \bar{E}_s$$

$$\bar{e} + \bar{e}' = \bar{c}$$

Egy hibacsoporthoz 8 db elem van.

$$\bar{s}(11) \rightarrow E_s = ?$$

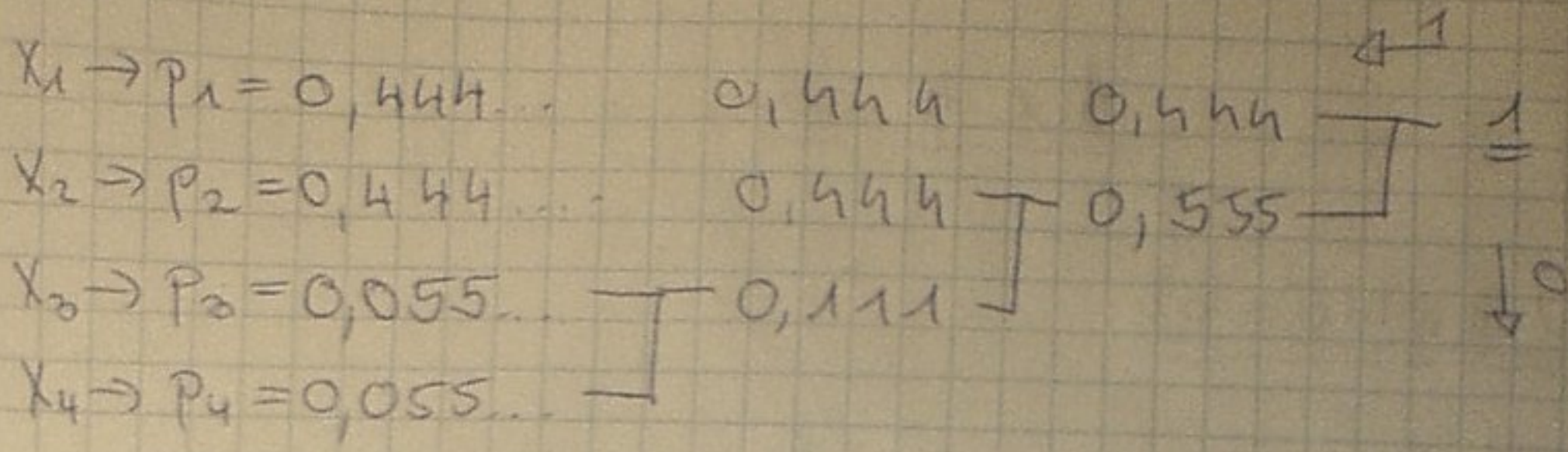
$$\bar{H}_{2 \times 5} \begin{pmatrix} 0 & 1 & 1 & 1 & 0 \\ 1 & 0 & 1 & 0 & 1 \end{pmatrix} \cdot \begin{pmatrix} ? \\ ? \\ ? \\ ? \\ ? \end{pmatrix} = (11)$$

ezt fogjuk detektálni

egy mo: $\begin{pmatrix} 0 \\ 1 \\ 0 \\ 0 \end{pmatrix}$

$$E_s = \{ (00100), (00011), (01110), (01001), (10101), (10001), (11111), (11000) \}$$

3



$$H(X) = \sum_x p(x) \log_2 \frac{1}{p(x)} = \underline{\underline{1,50323}}$$

Huffman kód:

- $X_4 \rightarrow 000$
- $X_3 \rightarrow 001$
- $X_2 \rightarrow 01$
- $X_1 \rightarrow 1$

$$L^H = 0,11 \cdot 3 + 2 \cdot 0,44 + 1 \cdot 0,44 =$$

$$\underline{\underline{1,666}}$$

SF kód:

$$L^{SF} = p_1 \left[\log_2 \frac{1}{p_1} \right] + p_2 \left[\log_2 \frac{1}{p_2} \right] + p_3 \left[\log_2 \frac{1}{p_3} \right] + p_4 \left[\log_2 \frac{1}{p_4} \right]$$

$$= \underline{\underline{2,33}}$$

$$H(X) \leq \lambda^{(K)} \leq H(X) + \frac{1}{K}$$

$$\frac{1}{K} = 0,1 \cdot H(X)$$

$$K = \left\lceil \frac{1}{0,015} \right\rceil = \underline{\underline{67}}$$

kódtábla mérete = 4^{67}

④ LZ77 tömörítés
 szótár alapú (rövidebb, mint ZH-n)

→
 01000101001010000

Parsing: 1 2 3 4 5 6 7 ← pointer-ek
 0,1,00,01,010,0101,000
 001 010 000101 100 111

(000,0)(000,1)(001,0)(001,1)(100,0)(101,1)(011,0)

⑤ $4 \neq \alpha$; $\alpha, 4 \in GF(8)$

$y^4 = y^2$

$$\alpha = a_0 + a_1 y + a_2 y^2 = a_2 y^2 + a_1 y + a_0$$

$$y^2(a_0 + a_1 y + a_2 y^2) = a_0 y^2 + a_1 y^3 + a_2 y^4 = a_0 y^2 + a_1(y+1) + a_2(y^2+y) =$$

$$= a_0 y^2 + a_1 y + a_1 + a_2 y^2 + a_2 y =$$

$$= a_1 + (a_1 + a_2) y + (a_2 + a_0) y^2$$

