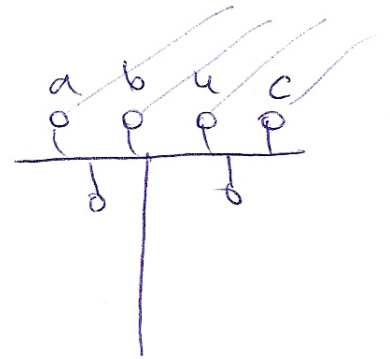
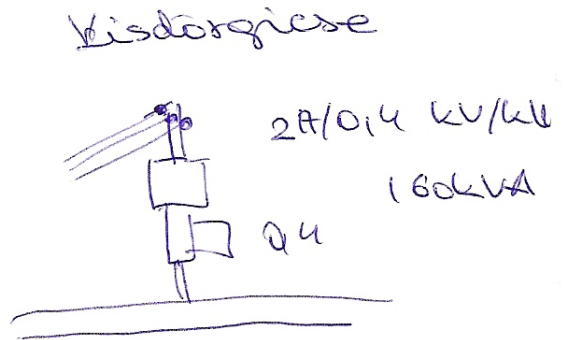
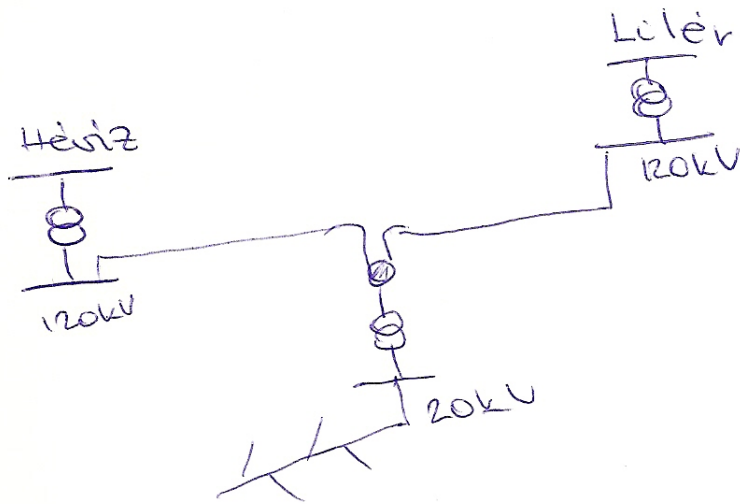


2009.02.03 Hillewora alk/nyale



⊕

P W kW pl ⊕ 40, 60, 100W
 fűtés 2000W
 ventilátor

W Wh kWh
 44 Ft/kWh 1 bra fűtés 88 Ft
 6 bra 100W 26,4 Ft

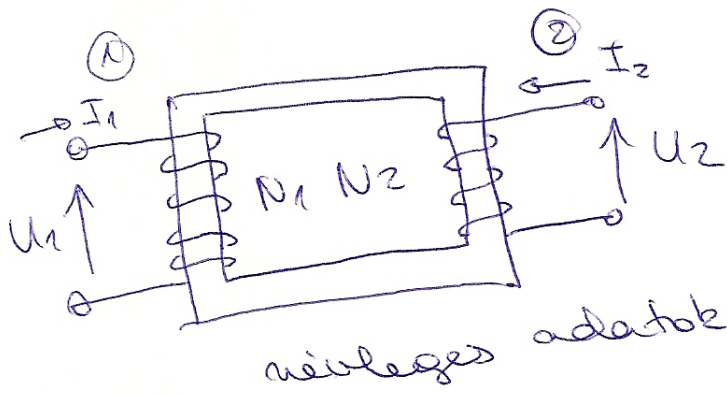
Forgasátszámítás:

1 f 231V 16A max 3,7kW
 25A 5,8kW

nap 417W → 10kWh → 30 nap 13200 Ft

év: 160.000 Ft

Tr. elv



$$e = \frac{N_1}{N_2} = \frac{U_2}{U_1}$$

$$a = \frac{U_1}{U_2} = \frac{N_1}{N_2}$$

U_{1u}, U_{2u}
 I_{1u}, I_{2u}

terhelés mérték

$$\frac{I_1}{I_{1u}} = \frac{I_2}{I_{2u}}$$

$$S_{tr} = U_{1u} I_{1u} = U_{2u} I_{2u}$$

3f, 3 ϕ
 U_{1u} fázis

U_{1u} vonali



$$S_{tr}^{3\phi} = \sqrt{3} U_{1u} I_{1u} = \sqrt{3} U_{2u} I_{2u}$$

mérés:

ü.j. mérés

$$U_1 @ I_2 = \phi$$

I_{aj} → ~~szigetelés~~ áram

P_{aj} → ü.j. veszteség
(vas, hővesztés)

$$a = U_2 / U_1$$

r_z. mètres

$$u_1 \otimes \quad u_2 = \phi$$

$$u_{1r2} \rightarrow I_1 = I_{1u}; \quad I_2 = I_{2u}$$

$$\frac{u_{1r2}}{u_{1u}} = \epsilon \text{ (drop)} \quad \text{pl.: } \begin{matrix} 0,05 \\ 5\% \end{matrix}$$

$$\begin{matrix} P_{r2} \xrightarrow{3f} R \\ Q_{r2} \rightarrow X \end{matrix}$$

$$\begin{aligned} \text{pl.: } 3f \\ P_{\text{rest}} &= 3 \left(\frac{I_1}{I_{1u}} \right)^2 R = \\ &= \left(\frac{I_1}{I_{1u}} \right)^2 P_{r2} \end{aligned}$$

$$Q_{\text{rest}} = 3 I_1^2 X = \left(\frac{I_1}{I_{1u}} \right)^2 Q_{r2}$$

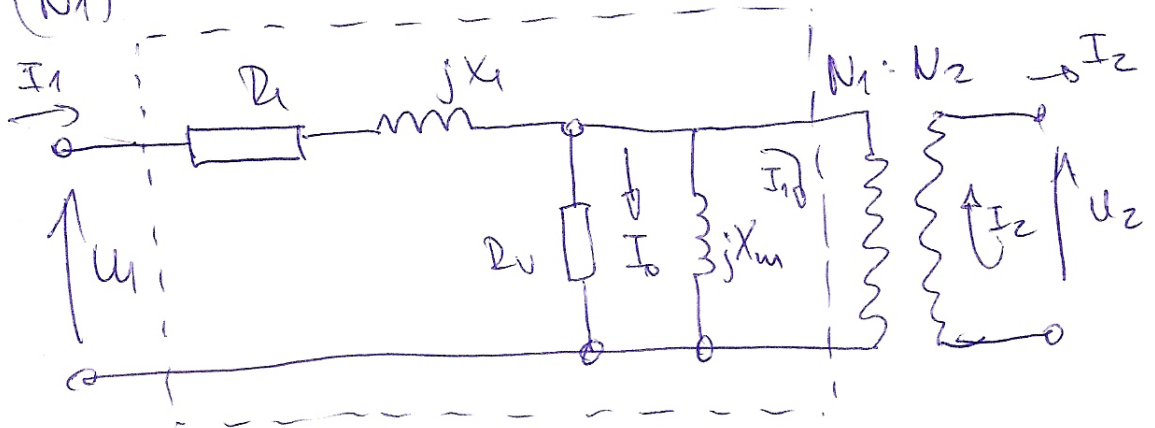
$$Z = \sqrt{R^2 + X^2}$$

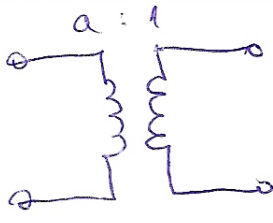
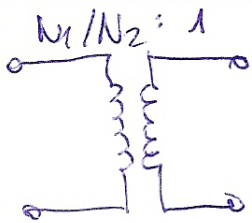
$$\begin{aligned} u_{r2} &\begin{cases} \epsilon_r \xrightarrow{3f} R_1 = \epsilon_r \frac{u_{1u}^2}{S_{tr}} \text{ (volum)} \\ \epsilon_x \end{cases} \\ \epsilon &= \sqrt{\epsilon_r^2 + \epsilon_x^2} \end{aligned}$$

$$X_1 = \epsilon_x \frac{(u_{1u})^2}{S_{tr}}$$

$$R_2 = \left(\frac{N_2}{N_1} \right)^2 R_1$$

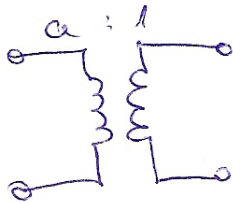
$$X_2 = \left(\frac{N_2}{N_1} \right)^2 X_1$$



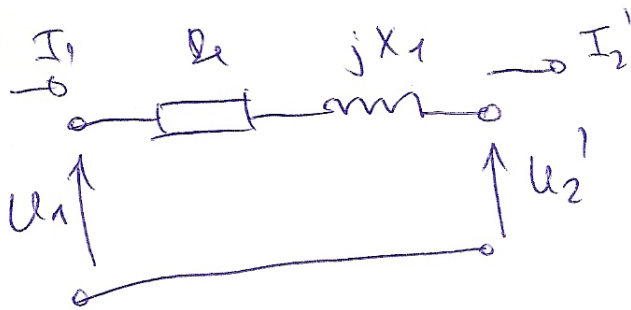


közös / megerősített / szigetelt / modell
 feszültségre redukált

3φ tr. szimul. üzemi modell



$$\bar{a} = a e^{j\alpha}$$

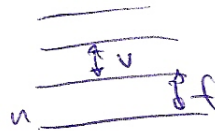


91.

21 kV ± 3%
 Tipus NA
 160 kVA

21/0,4 kV/kV

U1/U2 400(23)
 ↑
 szigetelt fázis



Yz 5



Paj 0,55 kW



I0 3%



Piz 3,9 kW



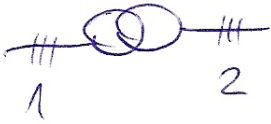
Er 2,4%

Ex 4,5%

súly 1000 kg

ebből olaj 310 kg

2110,4



$$I_{1u} = \frac{S_{tr}}{\sqrt{3} U_{1u}} = \frac{160 \cdot 10^3}{\sqrt{3} 21 \cdot 10^3} = 4,4 \text{ A}$$

$$I_{2u} = \frac{S_{tr}}{\sqrt{3} U_{2u}} = \frac{160 \cdot 10^3}{\sqrt{3} \cdot 94 \cdot 10^3} = 231 \text{ A / } \text{[?]}$$

$$a = \frac{U_{1u}}{U_{2u}} = \frac{I_{2u}}{I_{1u}}$$

l'eu 8760 ora

kapacitosa: $P_{aj} = 0,55 \text{ kW}$

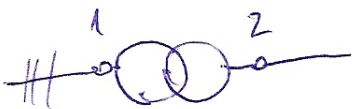
1 kWh 44 Ft/kWh

~ 192.000 Ft

- 1220
- 16
- 25
- 40
- 60
- 100
- 160
- 250
- ⋮

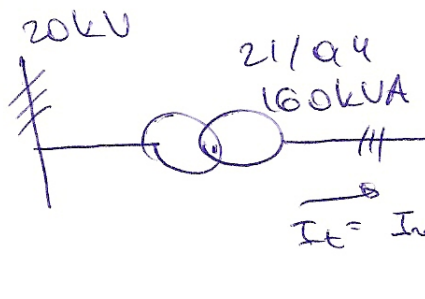
$$\sqrt[10]{10} = R$$

ΔU_{tr}



$$\frac{U_1 - U_2'}{U_{m\text{é}v\ell}} \cdot 100$$

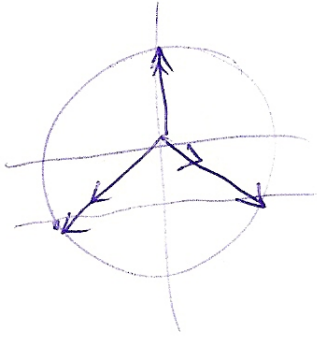
$$\frac{U_1' - U_2}{U_2 \text{ név\ell}} \cdot 100$$



$$\epsilon_r = 4,5\%$$

$$\epsilon = 2,4\%$$

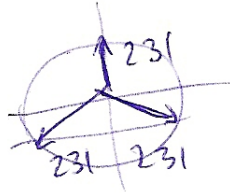
$$\epsilon_x = \sqrt{\epsilon^2 - \epsilon_r^2} = 3,8\%$$



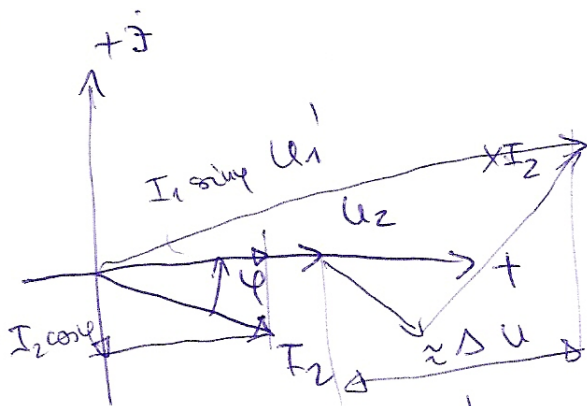
$$I_{neutral} = 231 \text{ A (basis)}$$

$$R_{tr} = \frac{\epsilon_r}{100} \frac{(U_{2L})^2}{S_{tr}} =$$

$$= \frac{2,4}{100} \frac{(0,4 \cdot 10^3)^2}{160 \cdot 10^3} = 0,024 \Omega$$

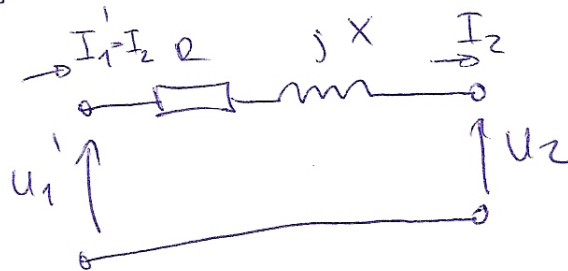


$$X_{tr} = \dots = 0,038 \Omega$$



$$\cos \varphi = 0,98$$

$$\tan \varphi = 0,2$$



$$\Delta U_{tr} \approx \Delta U = R I_2 \cos \varphi + X I_2 \sin \varphi =$$

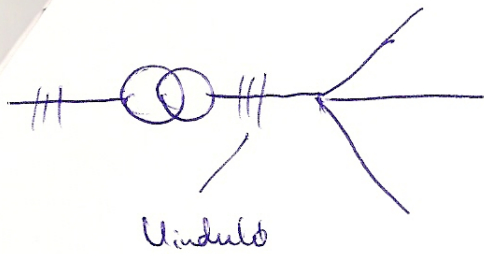
$$= (R + X \tan \varphi) I_2 \cos \varphi = 7,15 \text{ V}$$

fallsenkent

$$\Delta U_{tr} = \frac{\Delta U_{tr}}{U_{2L \text{ basis}}} \cdot 100 = \frac{7,15}{231} = 3,1\%$$

$$= 10^{-3} (2,4 + \underbrace{3,8 \cdot 0,2}_{7,6}) 231 \cdot 0,98$$

31,6



$$U_{m\ddot{u}vel\ddot{e}ges} = \pm 7,5\%$$

tr. veszteség

$$I_t = I_{m\ddot{u}vel\ddot{e}ges}$$

$$P_{veszt} = P_{rz} + P_{\ddot{u}j}$$

$$Q_{veszt} = Q_{rz} + P_{\ddot{u}j}$$

$$P_{rz} = 39 \text{ kW}$$

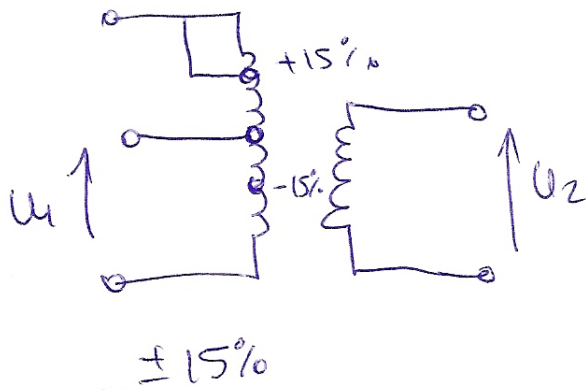
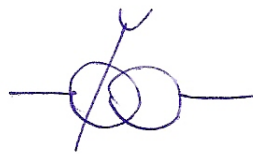
$$P_{\ddot{u}j} = 9,55 \text{ kW}$$

$$\text{Ha } I_t = 1/2 I_u:$$

$$P_u = \frac{1}{4} P_{rz}$$

Tr. szabályozás

elvi rajz



$$U_2 = N_2 e$$

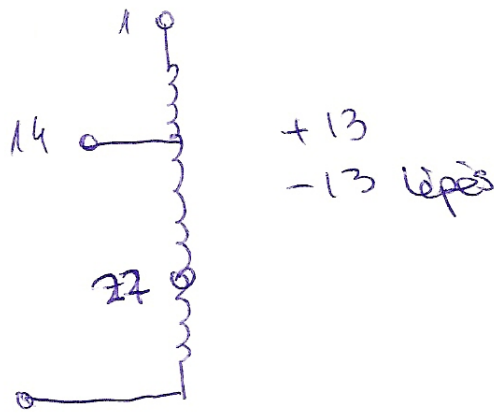
$$e = \frac{U_1}{N_1 + \Delta N}$$

↑
közép

$$\text{lépés} \left\{ \begin{array}{l} 15\% / 9 = 1,67 \\ 15\% / 13 = 1,1 \end{array} \right.$$

$$\begin{array}{l} + 9 \\ - 9 \text{ lépés} \\ - e_1 \text{ közép} \end{array}$$

$$\begin{array}{l} + 13 \text{ lépés} \\ - 13 \\ + \text{közép} \end{array}$$



F

DHSV 40000/120 típus
 120kV ± 15% / 11kV
 40MVA
 N = 120kV
 K = 11kV
 N = 1
 k = 2

névleges áram (középteljes)

$$I_{Nk} = \frac{S_{tr}}{\sqrt{3} U_{Nk}} = 193A$$

$$I_{ku} = \dots = 2100A$$

100% a terhelés, ha

$$\frac{I_1}{I_{1n}} \leq 1 \quad \text{vagy} \quad \frac{I_2}{I_{2n}} \leq 1$$

középteljes $U_2 = U_n$
 $I_1 = I_{1n}$
 $I_2 = I_{2n} \rightarrow 40MVA$

fullterhelés (névleges = 100)

ha $I_1 > I_{1n}$
 vagy $I_2 > I_{2n}$

+15% $U_2 = U_n$ ($U_1 > U_{1n}$)
 $I_2 = I_{2n} \rightarrow 40MVA$
 $I_1 < I_{1n}$

-15% $U_1 < U_{1n}$ ($0.85 U_{1n}$)
 $U_2 = U_n$
 $I_1 = I_{1n}$
 $I_2 < I_{2n}$
 $0.85 \cdot 40 = 34MVA$

tr. (tul) terhelhetőség

ha előtte I_{n1}
 akkor 2 dbra $1,2 I_{n1}$

pl. 250kV 2 dbra 300kVA
 21/0,4